## Online Supplement

## Investigating the Theoretical Structure of the DAS-II Core Battery at School Age using Bayesian Structural Equation Modeling

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Table A1
Two Factor Bifactor BSEM with Cross-Loadings and Small Variance (.01) Priors.

	Ger	neral						
		g	Ve	rbal	Nonv	rerbal		
	b	$S^2$	b	$S^2$	b	$S^2$	_	
Subtest	[95% CI]		[95% CI]		[95% CI]		$h^2$	$u^2$
Word Definitions	.652	.425	.476	.227	.000	.000	.652	.348
	[.613	.691]	[.423	.521]	[05	.051]		
Verbal Similarities	.659	.434	.476	.227	.002	.000	.661	.339
	[.620	.698]	[.423	.521]	[048	.053]		
Matrices	.763	.582	.004	.000	.016	.000	.587	.413
	[.730	.799]	[056	.059]	[107	.152]		
Sequential & Quantitative	.825	.681	.007	.000	053	.003	.690	.310
	[.787	.869]	[053	.064]	[242	.207]		
Pattern Construction	.715	.511	021	.000	.225	.051	.572	.428
	[.651	.758]	[069	.030]	[028	.564]		
Recall of Designs	.646	.417	.031	.000	.353	.125	.546	.454
	[.582	.710]	[044	.066]	[048	.053]		
ECV*		.823		.122		.048	.993	
Total Variance		.508		.076		.030	.614	.386
$\omega_{H}$ / $\omega_{HS}$		.838		.274		.039		
H		.872		.369		.166		
PUC		.533						

Note. b = standardized loading of subtest on factor,  $S^2$  = variance explained in the subtest,  $h^2$  = communality,  $u^2$  = uniqueness, ECV = explained common variance,  $\omega_H$  = Omega-hierarchical (general factor),  $\omega_{HS}$  = Omega-hierarchical subscale (group factors). BSEM=Bayesian Structural Equation Modeling, CI=Confidence Interval, g = general intelligence. \*Does not total to 100% due to use of median parameter estimates. Loadings in bold were freely estimated. Other loadings were estimated with small (0.01) variance priors.

Table A2
Two Factor Bifactor BSEM (MA & SQ on g only) with Cross-Loadings and Small Variance (.01) Priors.

	Ger	neral						
	<i>G b S</i> <sup>2</sup> [95% CI]		Ve	rbal	Spa	ıtial	$h^2$	$u^2$
Subtest			<i>b</i> [95%	S <sup>2</sup> % CI]	<i>b</i> [95%	S <sup>2</sup> % CI]		
Word Definitions	.661 [.571	.437 .723]	.469 [.356	.220 .567]	.003 [126	.000 .126]	.653	.347
Verbal Similarities	.654 [.577	.428 .730]	.469 [.356	.220 .567]	.008 [120	.000 .130]	.662	.338
Matrices	.761 [.714	.579 .821]	.003 [130	.000 .133]	.036 [145	.001 .181]	.601	.399
Sequential & Quantitative	.630 [.773	.397 .901]	.005 [143	.000 .143]	025 [210	.001 .120]	.671	.329
Pattern Construction	.708 [.646	.501 .761]	025 [141	.001 .096]	.314 [.182	.099 .419]	.604	.396
Recall of Designs	.630 [.567	.397 .681]	.035 [074	.001 .150]	.314 [.183	.099 .419]	.501	.499
ECV* Total Variance		.742 .456		.120 .074		.054	.615 .915*	.385
$\omega_{\text{H}} / \omega_{\text{HS}}$ H PUC		.808 .839 .800		.266 .361		.128 .179		

Note.  $b = \text{standardized loading of subtest on factor}, S^2 = \text{variance explained in the subtest}, h^2 = \text{communality}, u^2 = \text{uniqueness}, ECV = \text{explained common variance}, \omega_H = \text{Omega-hierarchical (general factor)}, \omega_{HS} = \text{Omega-hierarchical subscale (group factors)}. BSEM=Bayesian Structural Equation Modeling, CI=Confidence Interval, MA=Matrices, SQ= Sequential & Quantitative Reasoning, <math>g = \text{general intelligence}. *Does not total to 100% due to use of median parameter estimates. Loadings in bold were freely estimated. Other loadings were estimated with small (0.01) variance priors.$ 

Table A3 Three Factor Oblique with Informative Cross Loadings and Correlated Residuals (.001)

Loading estimates (median)	Ve	rbal	Nonv	zerbal	Spatial				
	b	$S^2$	b	$S^2$	<i>b</i>	$S^2$			
Subtest	[95%	% CI]	[95%	6 CI]	[95%	6 CI]	$h^2$	$u^2$	
Word Definitions	.878	.771	003	.000	005	.000	.766	.234	
	[.672	1.103]	[.637	1.102]	[.614	1.092]			
Verbal Similarities	.863	.745	.011	.000	.003	.000	.763	.237	
	[.604	1.052]	[.584	1.054]	[.493	1.025]			
Matrices	008	.000	.880	.774	006	.000	.764	.236	
	[199	.157]	[193	.158]	[184	.152]			
Sequential & Quantitative	.018	.000	.837	.701	.017	.000	.748	.252	
	[167	.196]	[167	.183]	[160	.163]			
Pattern Construction	004	.000	.005	.000	.873	.762	.771	.229	
	[201	.164]	[161	.175]	[180	.166]			
Recall of Designs	.009	.000	.008	.000	.791	.626	.652	.348	
	[167	.178]	[169	.181]	[150	.194]			
ECV*		.340	-	.330		.311	.981		
Total Variance		.253		.246		.231	.730	.270	
<b>Factor Intercorrelations</b>									
Verbal	1								
Nonverbal	0.671		1						
Spatial	0.585		.705		1				

Note. b = standardized loading of subtest on factor,  $S^2 = \text{variance explained in the subtest}$ ,  $h^2 = \text{communality}$ ,  $u^2 = \text{uniqueness}$ , ECV = explained common variance, CI=Confidence Interval. \*Does not total to 100% due to use of median parameter estimates. Loadings in bold were freely estimated. Other loadings were estimated with small (0.001) variance priors.

Table A4 Two factor Higher Order with Cross-loadings and Correlated Residuals (.001) 250K Iterations

	Gen	eral*		Residualized				Residualized				
Loading estimates (median)		g	Ver	bal	al Verbal Nor		Nonv	erbal	Nonverbal			
•	b	$S^2$	b	$S^2$	b	$S^2$	b	$S^2$	b	$S^2$		
Subtest	[95%	6 CI]	[95%	CI]			[95% CI]				$h^2$	$u^2$
Word Definitions	.723	.523	.870	.757	.487	.237	.000	.000			.760	.240
			[.740	.878]			[046	.048]				
Verbal Similarities	.726	.528	.874	.764	.489	.239	.000	.000			.767	.233
			[.742	.885]			[047	.050]				
Matrices	.648	.420	.000	.000			.804	.646	.478	.228	.648	.352
			[052	.038]			[.705	.841]				
Sequential & Quantitative	.662	.438	.000	.000			.821	.674	.492	.242	.680	.320
1			[030	.062]			[.739	.875]				
Pattern Construction	.623	.388	.001	.000			.773	.598	.459	.211	.599	.401
			[066	.022]			[048	.047]				
Recall of Designs	.596	.355	.004	.000			.739	.546	.437	.191	.546	.454
			[029	.060]			[047	.049]				
ECV		.663				.119				.218	1.00	
Total Variance		.442				.079				.145	.667	.333
$\omega_{\rm H}$ / $\omega_{\rm HS}**$		.711				.270				.305		
Н		.830				.385				.528		
PUC		.533										

## **Second Order Loadings** (median)

Verbal	.831				
	[.649	.992			
Nonverbal	.8	06			
	[.648	.991			

Note. b = standardized loading of subtest on factor,  $S^2 = \text{variance explained in the subtest}$ ,  $h^2 = \text{communality}$ ,  $u^2 = \text{uniqueness}$ , ECV = explained common variance,  $\omega_H = \text{Omega-hierarchical}$  (general factor),  $\omega_{HS} = \text{Omega-hierarchical}$  subscale (group factors), g = general intelligence. Omega estimates based on residualized group factor loadings. Loadings in bold were freely estimated. Other loadings were estimated with small (0.001) variance priors. Residualized using the following formula:  $\sqrt{R^2 - (g \ loading)^2}$  \*Calculated using the path tracing rules. \*\*Used residualized estimates to calculate omega.